



Computational Modeling of Signaling Pathways Mediating Cell Cycle and Apoptotic Responses to Ionizing Radiation Mediated DNA Damage

Yuchao “Maggie” Zhao¹ and Rory B. Conolly²

¹CIIT Centers for Health Research
Research Triangle Park, NC

²National Center for Computational Toxicology, U. S. EPA
Research Triangle Park, NC, USA

Prepared for:

Annual Meeting of the Society for Risk Analysis
Orlando, December 5, 2005

Introduction & Motivation

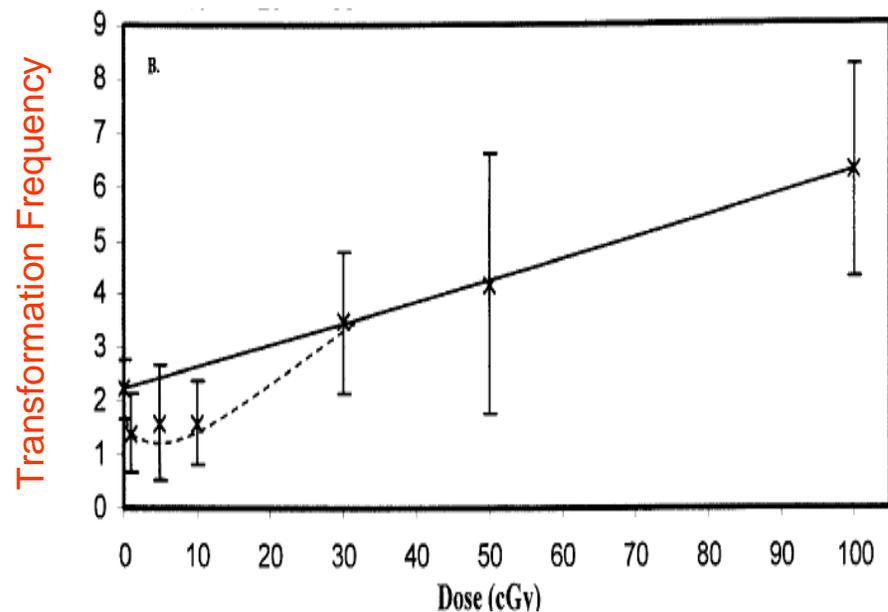
- Demonstration of the use of a **computational systems biology approach** to model dose response relationships
- Current biologically motivated dose-response models
 - have only limited reference to the underlying molecular-level mechanisms
 - do not describe how toxicants perturb normal biological function

Introduction & Motivation

- Integration of computational systems biology approach is the new direction for dose response modeling
(e.g. *Andersen et al, Reproductive Toxicology, 2005*)
- Advantages and characteristics of this approach
 - multiple level description of biological organization
 - use of sophisticated engineering and mathematical methods to gain deep biological insights
 - direct description of toxicology linking to normal biology

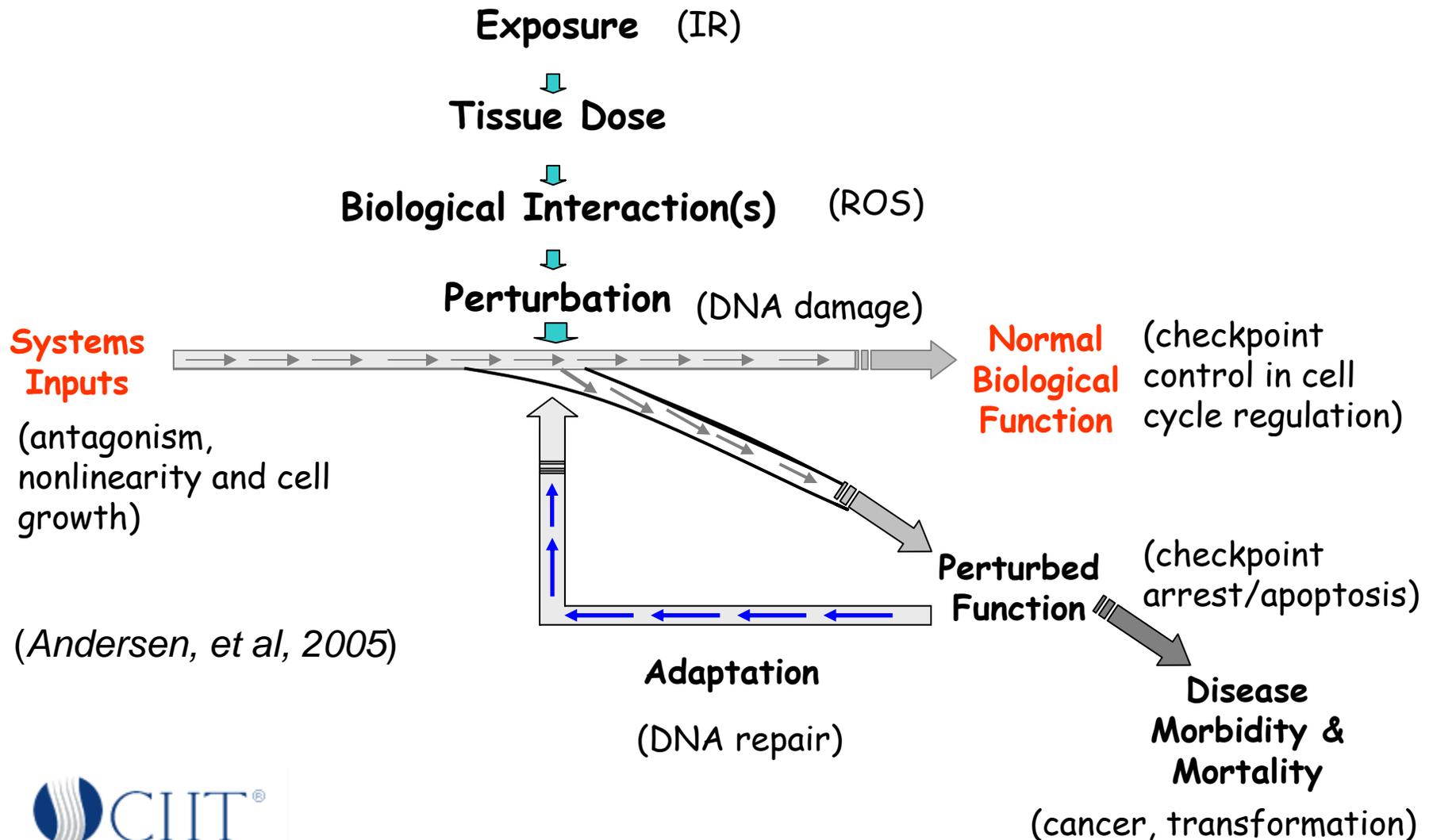
Introduction & Motivation

- For ionizing radiation health risk assessment, linear non-threshold (LNT) model is the default model
- Phenomena such as the **adaptive response** in the low dose region pose challenges to the LNT model
- Computational systems biology approach is needed

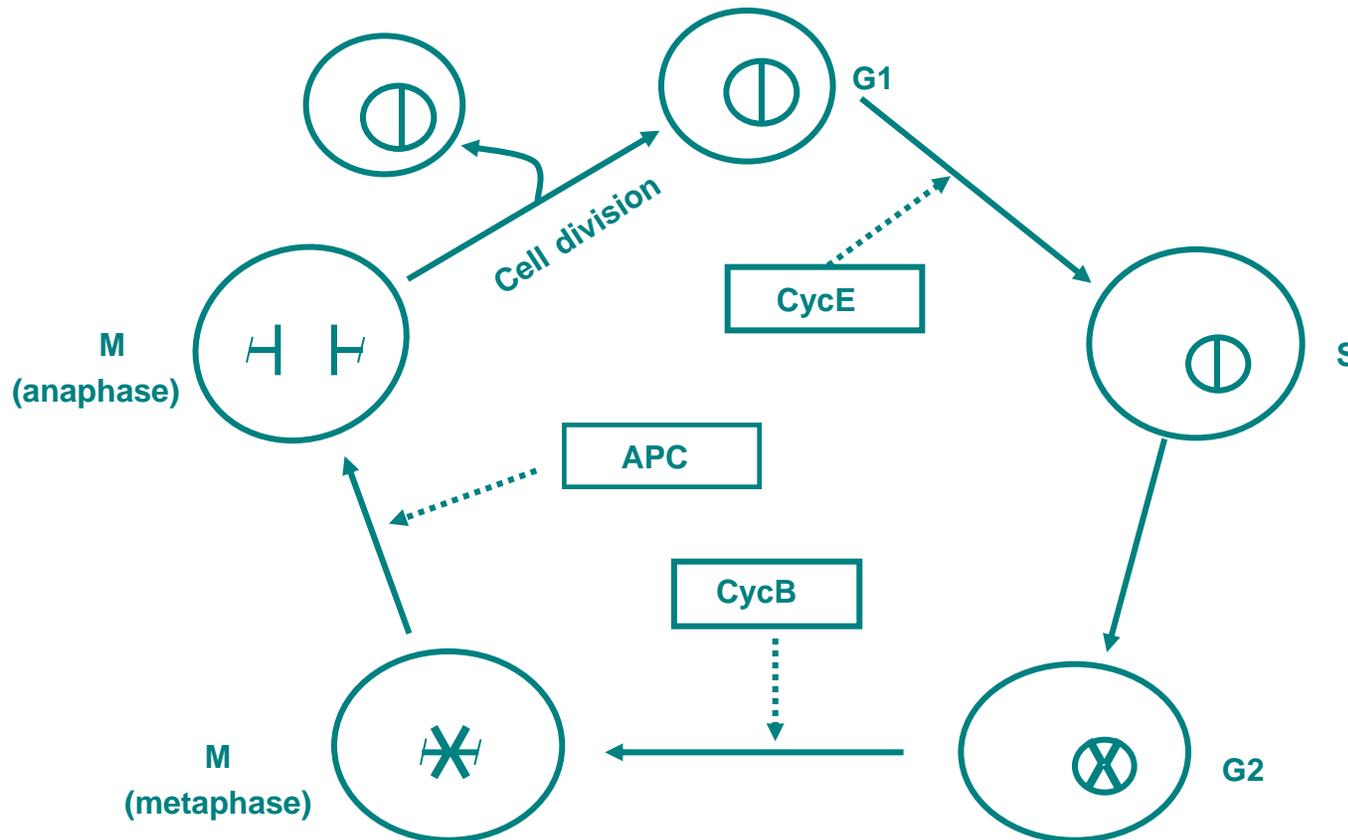


(Redpath et al, 2001)

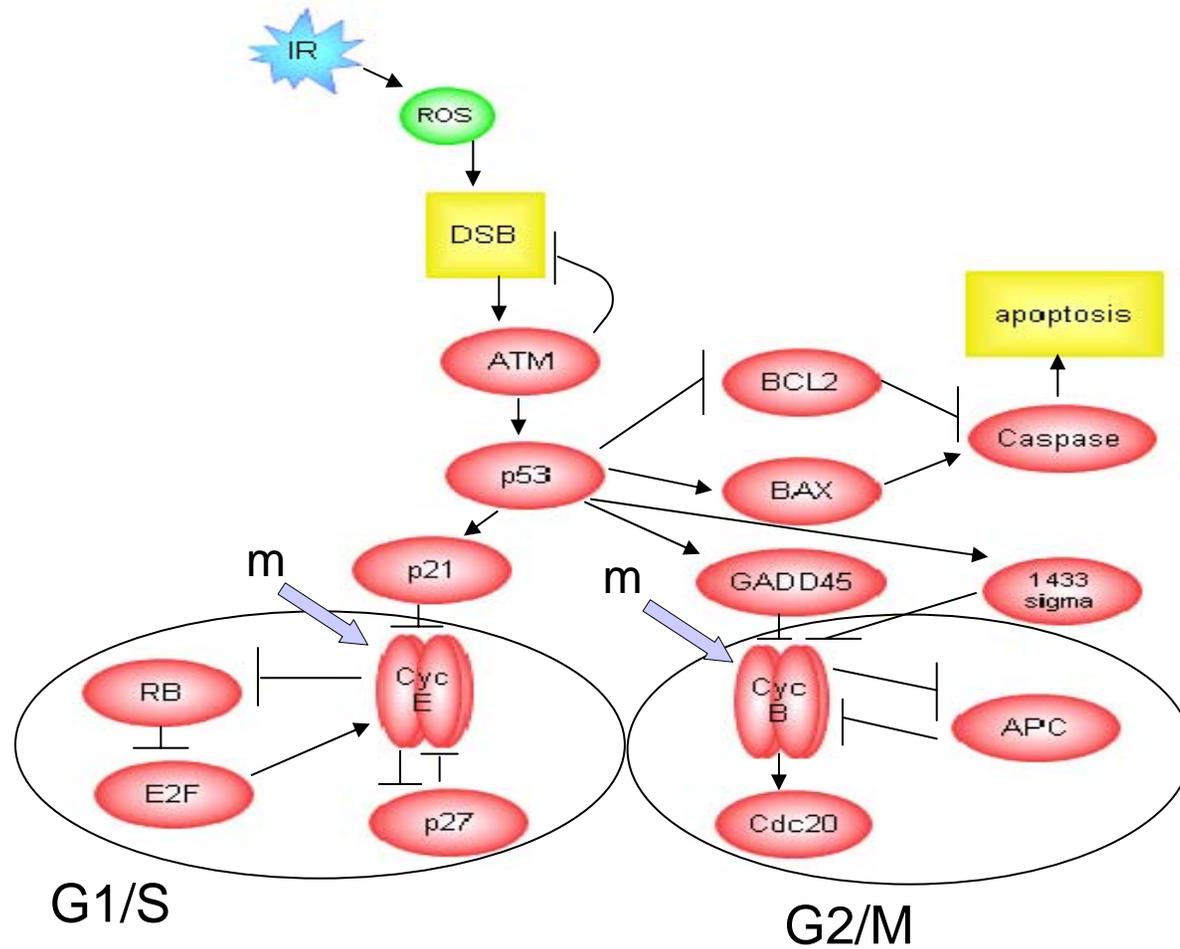
Integration of Computational Systems Biology Approach into Dose Response Modeling



Incorporate checkpoint control regulation as normal biological function



Checkpoint control regulation and IR-induced perturbation



Mathematical model & parameter assignments

$$\frac{d[\text{CycE}]}{dt} = -k_{s1}[p27][\text{CycE}] + k_{d1}[p27\text{CycE}] - k_{s2}[p27^p][\text{CycE}] + k_{d2}[p27^p\text{CycE}] + k_{s3}[E2F] - k_{d3}[\text{CycE}] - k_{s4}[\text{CycE}][p21] + k_{d4}[\text{CycE}p21] \quad (1)$$

$$\frac{d[E2F]}{dt} = -k_{s5}[\text{Rb}][E2F] + k_{d5}[\text{Rb}E2F] - k_{s6}[\text{Rb}^p][E2F] + k_{d6}[\text{Rb}^pE2F] \quad (2)$$

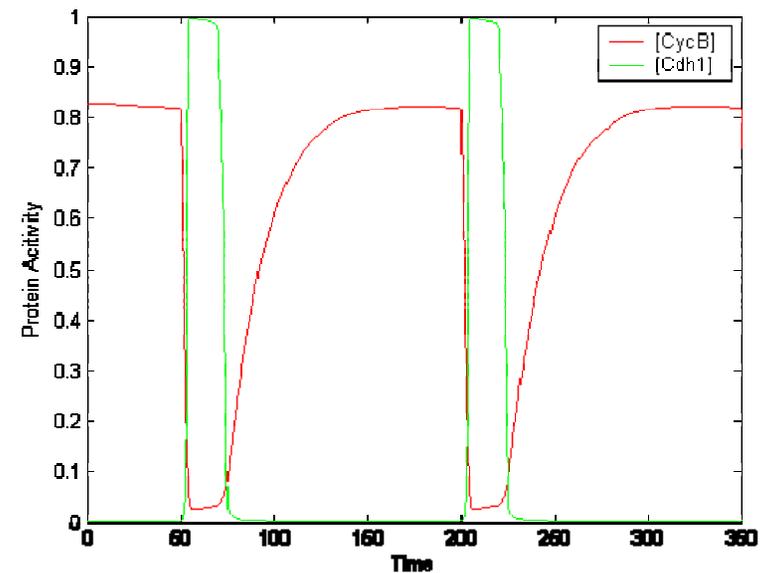
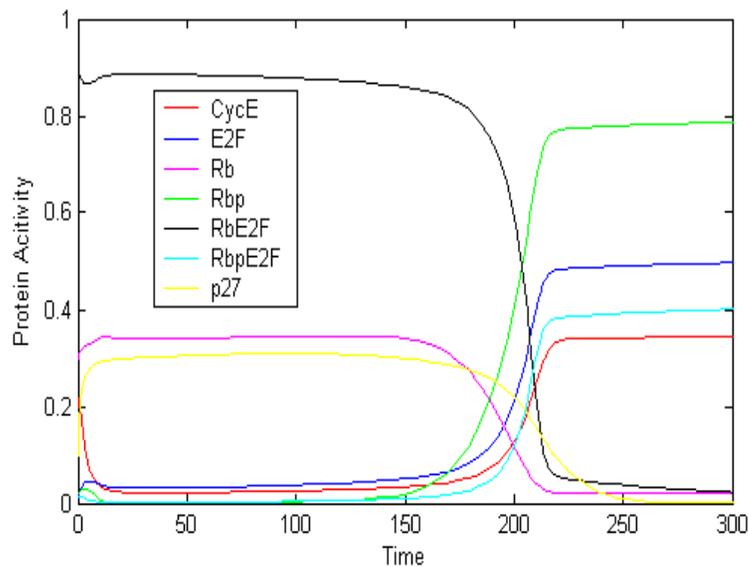
$$\frac{d[\text{Rb}]}{dt} = -k_{s5}[\text{Rb}][E2F] + k_{d5}[\text{Rb}E2F] - \frac{k_{c1}m[\text{CycE}][\text{Rb}]}{[\text{Rb}] + \frac{(k_{b1} + k_{c1})}{k_{f1}}} + \frac{k_{c2}[\text{EN8}][\text{Rb}^p]}{[\text{Rb}^p] + \frac{(k_{b2} + k_{c2})}{k_{f2}}} \quad (3)$$

$$\frac{d[\text{Rb}^p]}{dt} = \frac{k_{c1}m[\text{CycE}][\text{Rb}]}{[\text{Rb}] + \frac{k_{b1} + k_{c1}}{k_{f1}}} - \frac{k_{c2}[\text{EN8}][\text{Rb}^p]}{[\text{Rb}^p] + \frac{k_{b2} + k_{c2}}{k_{f2}}} - k_{s6}[\text{Rb}^p][E2F] + k_{d6}[\text{Rb}^pE2F] \quad (4)$$

⋮

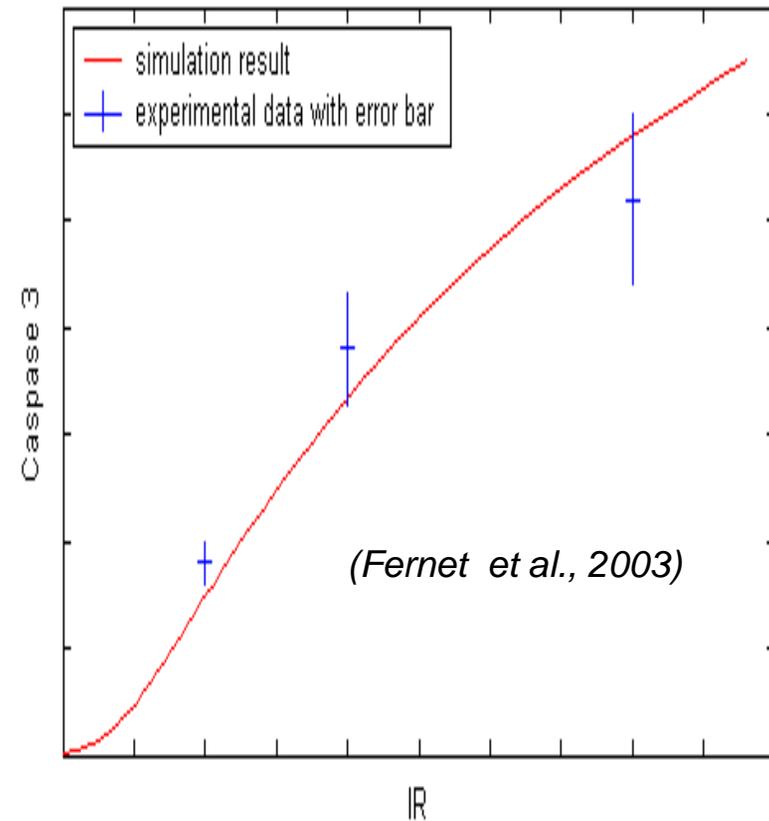
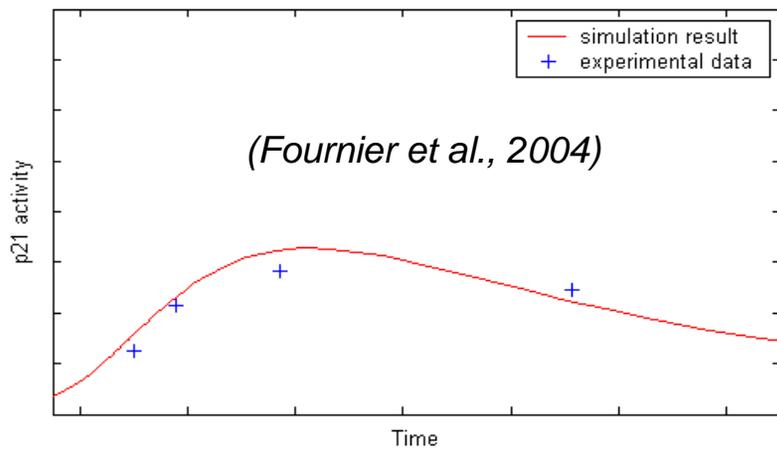
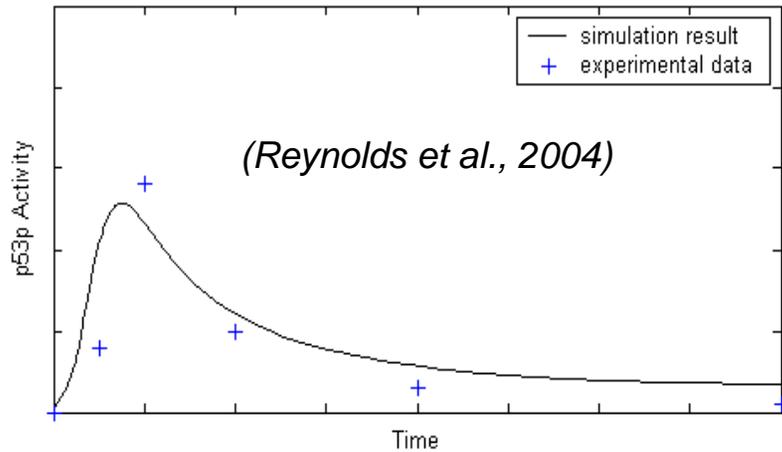
$$\frac{dm}{dt} = \mu * m * (1 - m / m_{\max}) \quad (45)$$

Model verification - switch-like behavior

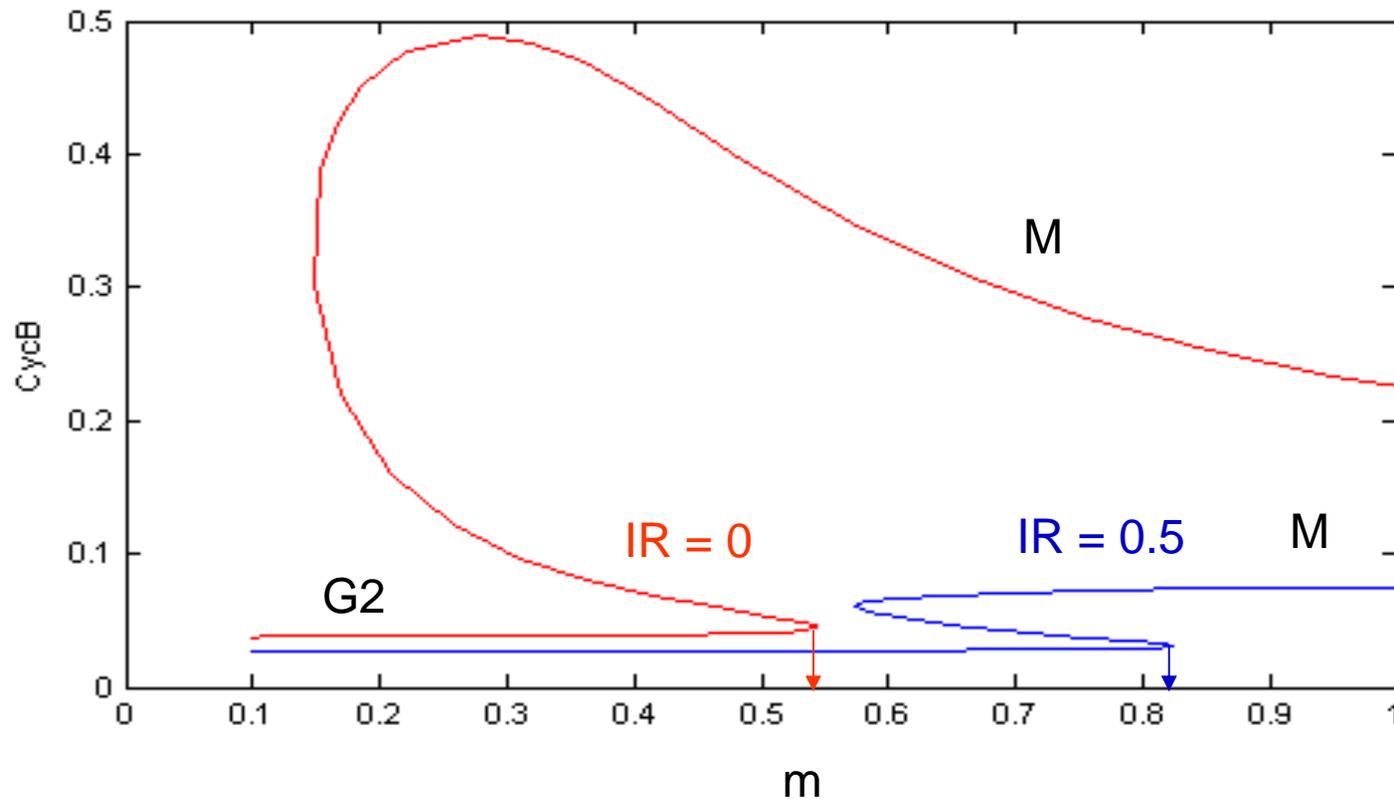


IR = 0

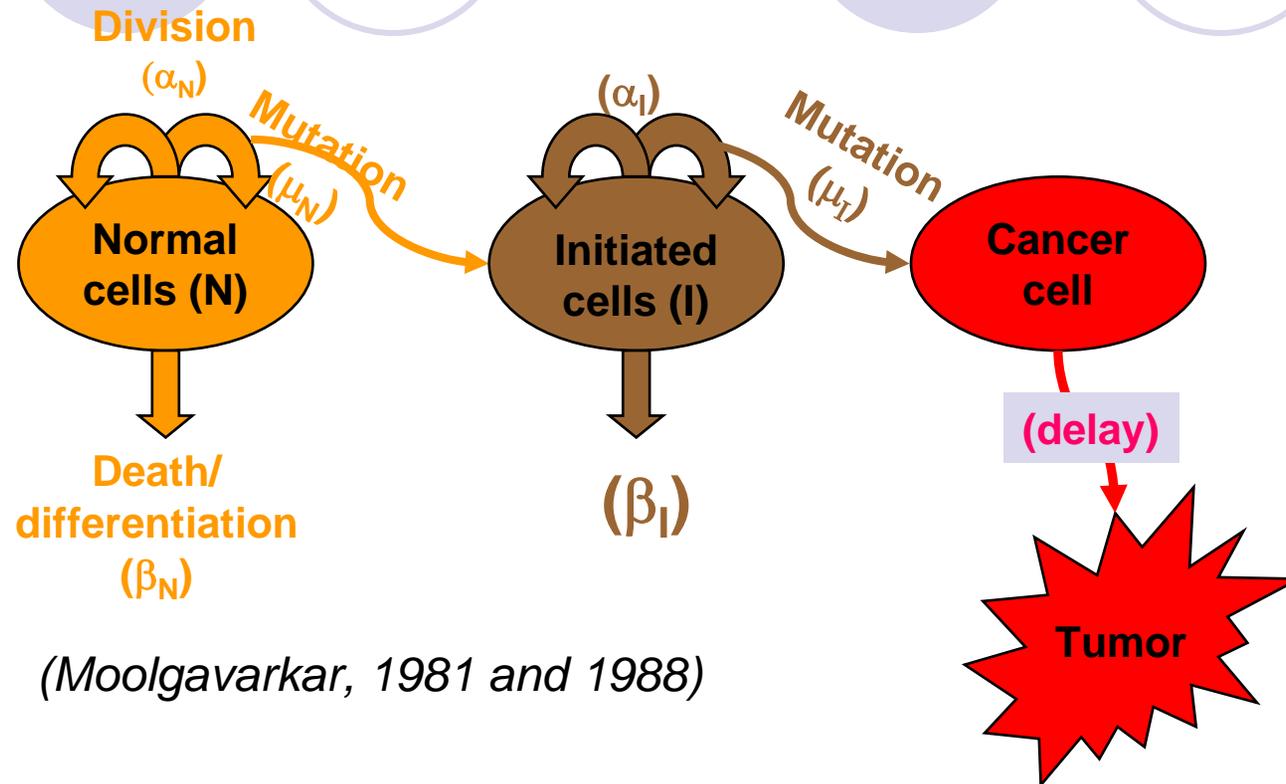
Model verification – comparison with post IR experimental data



Model verification - checkpoint arrest in G2/M identified by bifurcation diagram



Two-stage clonal growth model

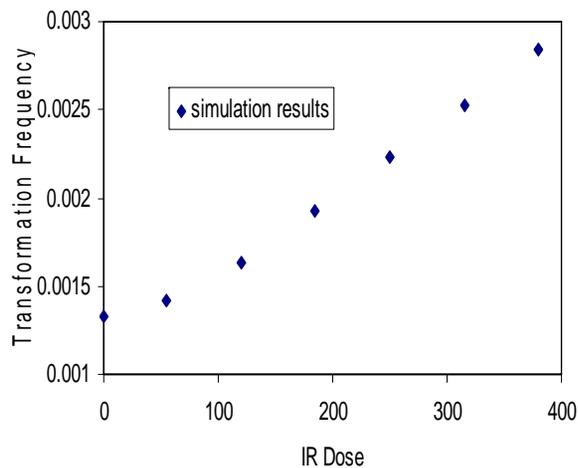


(Moolgavarkar, 1981 and 1988)

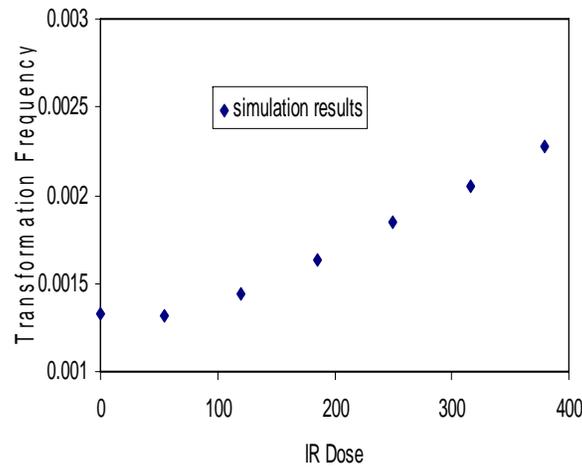
$\partial_N \mu_N = \text{mutational rate (time}^{-1}\text{)}, \text{ taken as surrogate for transformation frequency}$

Model prediction of dose response – transformation frequency vs. IR

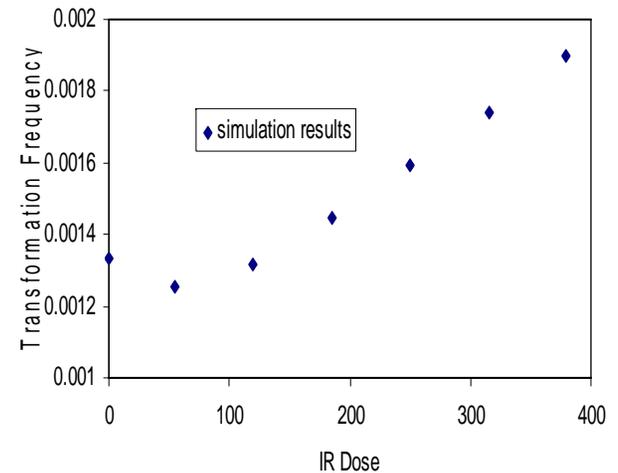
- ∂_N is inverse of cell cycle time
- $\mu_N = \mu_{bas} + k \cdot IR$ $\mu_{bas} = 0.01$
- 3 cases are evaluated $k = 5.3, 3.7, 2.7 \times 10^{-5}$
- monotonical, non-monotonical, J-shaped results



Case 1

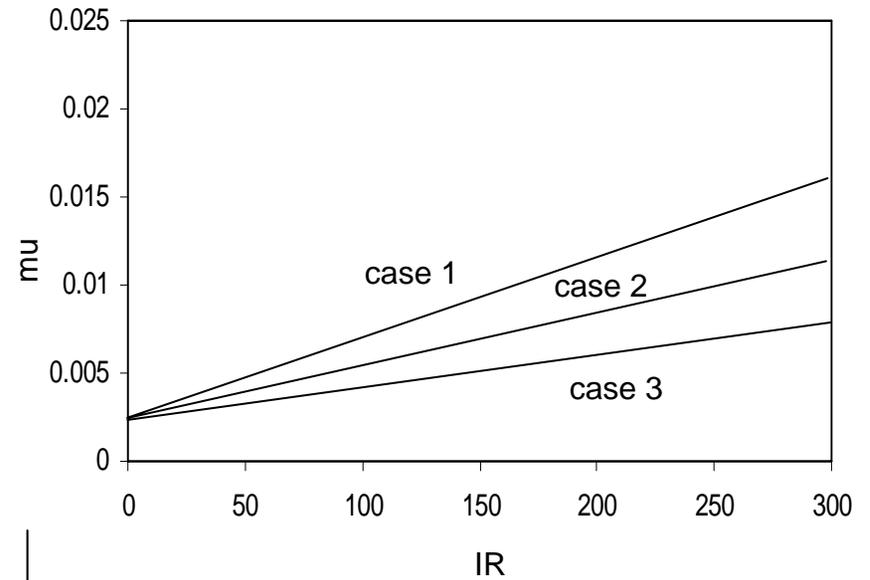
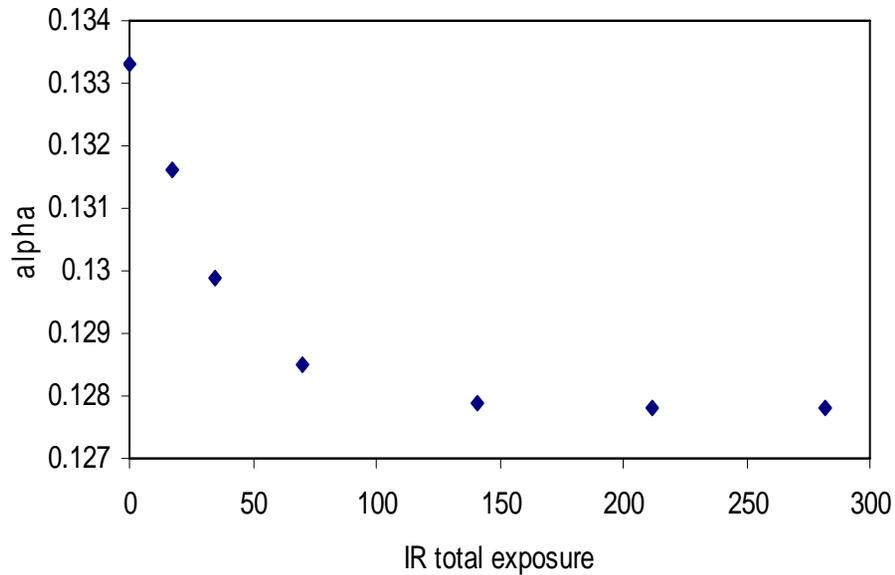


Case 2

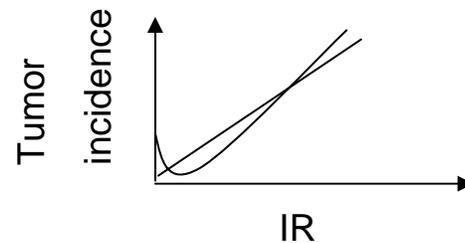


Case 3

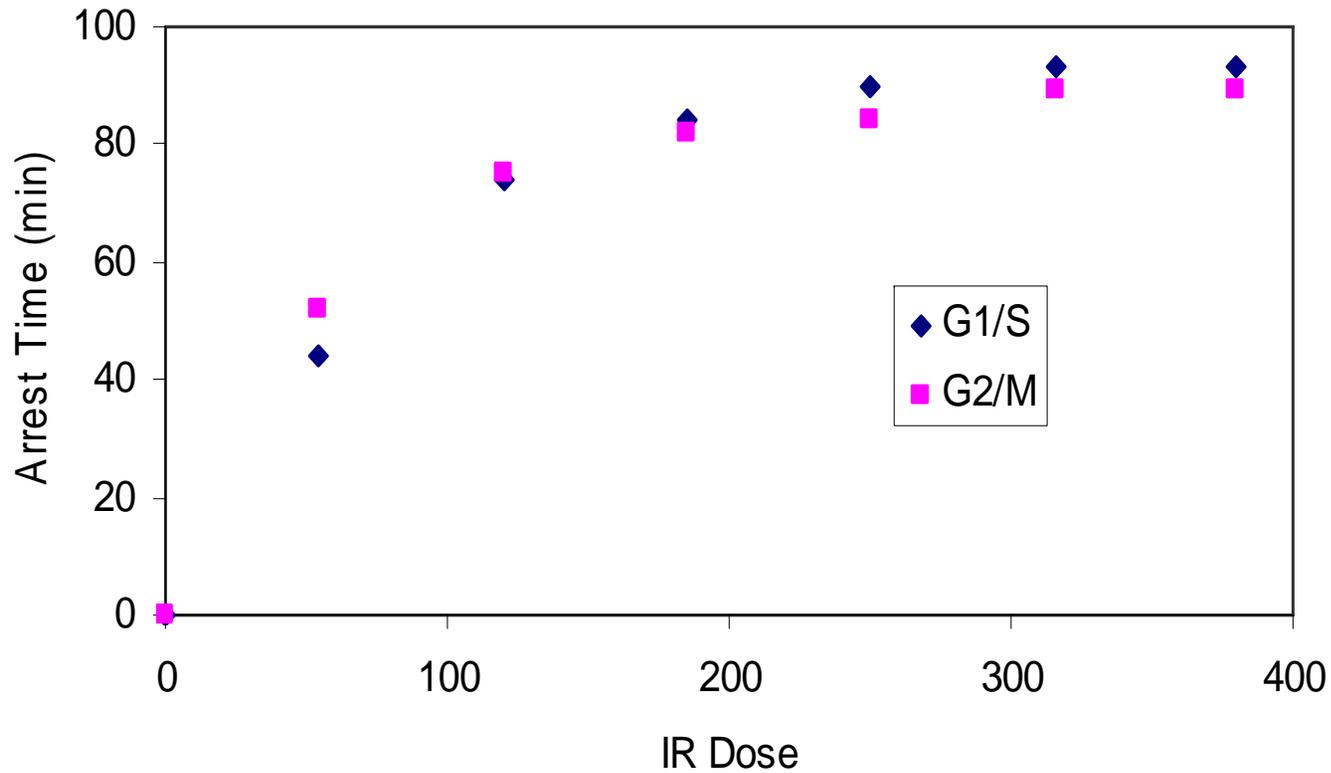
Why does J-shaped curve happen?



product



Why does J-shaped curve happen?



Conclusions, Technical Challenges and Recommendations

- Computational systems biology approach integrates lower level biological mechanisms into dose response model and provides a direct linkage between “toxicology” and “biology”
- Mathematical method assists to explore the underlying biological mechanisms
- More data from the same cell line is needed to make the model fully quantitative
- Apoptosis should be included into dose response model
- Sensitivity study to identify the appropriate parameter ranges
- Recommendation of using this approach in risk assessment as a long term goal

Acknowledgement

- DOE, Grant No. DE-FG02-03ER63669
- Mel Andersen, Harvey Clewell and Owen Moss